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- 3.2 Working rules and Integral of standard functions.
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- 5.3 Conjugate, Modulus and inverse of Complex numbers.
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